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Joint work with Kristian Kersting

Desirable Properties:

Should be widely applicable!

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Label Propagation

[Zhu and Ghahramani, 2002, Zhu et al., 2003]

Set of nodes













- Set of nodes
- Set of known labels







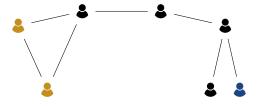






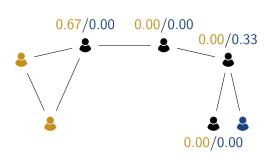
- Set of nodes
- Set of known labels
- Similarity function

• e.g.
$$\exp\left(-\sum_d \frac{(x_{id}-x_{jd})^2}{\sigma_d^2}\right)$$



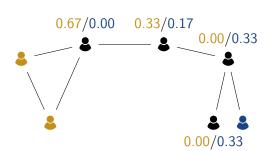
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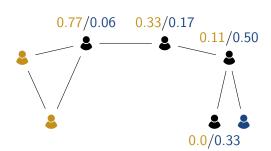
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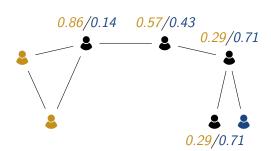
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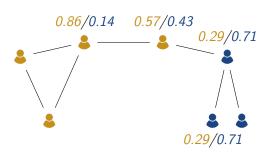
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- Iteratively propagate labels
- Read off labels



Python Code

```
# W is similarity matrix
# Y is label matrix
W = preprocess(W, Y)
Y_old = Y.copy()
iters = 0
while True:
    Y = W * Y
    max_diff = np.abs(Y-Y_old).max()
    iters += 1
    if max_diff < th:</pre>
        break
    Y_old = Y.copy()
```

DBLP enriched with geo-locations



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$$W \cdot Y = \underbrace{\begin{pmatrix} w_{11} & \dots & w_{1n} \\ \vdots & \ddots & \vdots \\ w_{n1} & \dots & w_{nn} \end{pmatrix}}_{5M \times 5M} \cdot \underbrace{\begin{pmatrix} y_{11} & \dots & y_{1k} \\ \vdots & \ddots & \vdots \\ y_{n1} & \dots & y_{nk} \end{pmatrix}}_{5M \times 4.5k}$$

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Large-scale Label Propagation

- **Problem**: Impossible to store dense affinity matrix in RAM.
- **Solution**: Use similarity function based on relational formulas [Hadiji et al., 2013]. E.g.:

$$w_{ij} += \lambda_d$$
 if $author(i) = author(j) \land year(i) = year(j)$

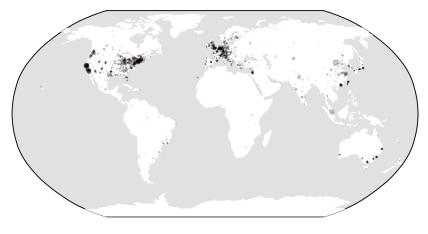
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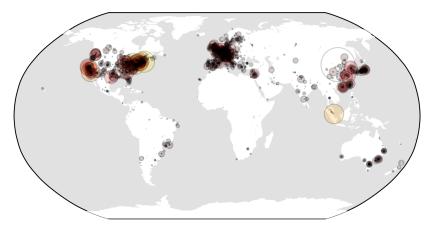
- Problem: LP often suffers from slow convergence
- Solution: Bootstrapping to speed up convergence [Hadiji and Kersting, 2013]

Propagated Data



Initial Data

Propagated Data

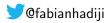


Completed Data

Thank You

Questions?

www.hadiji.com



References I



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